Texture Superpixel Clustering from Patch-based Nearest Neighbor Matching

Rémi Giraud

Yannick Berthoumieu

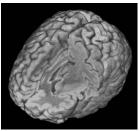




Large data \rightarrow high computational times



Image HD



Volume 3D

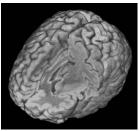


Video

Large data \rightarrow high computational times \rightarrow Dimension reduction



Image HD



Volume 3D



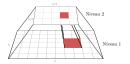
Video

Introduction

Large data \rightarrow high computational times \rightarrow Dimension reduction

• Regular multi-resolution:

Decompose the image into regular blocks





Image

Decomposition into blocks

Average colors

Introduction

Large data \rightarrow high computational times \rightarrow Dimension reduction

Regular multi-resolution:

Decompose the image into regular blocks

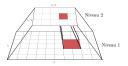
 Superpixels (since [Ren and Malik, 2003]): Local grouping of pixels with homogeneous colors



Image



Decomposition into blocks







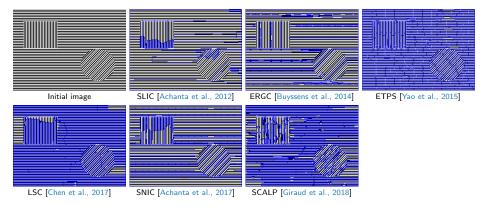


Average colors



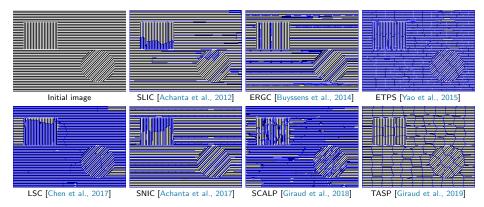
Decomposition into superpixels

What about the ability to handle texture?



\rightarrow All state-of-the-art methods severely fail at clustering textures

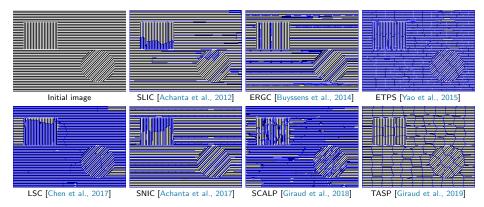
What about the ability to handle texture?



\rightarrow All state-of-the-art methods severely fail at clustering textures

- \rightarrow Introduce a texture homogeneity term using patch-based distances
 - \rightarrow K-means-based clustering approach (TASP) \rightarrow high complexity

What about the ability to handle texture?



\rightarrow All state-of-the-art methods severely fail at clustering textures

- \rightarrow Introduce a texture homogeneity term using patch-based distances
 - \rightarrow K-means-based clustering approach (TASP) \rightarrow high complexity
 - \rightarrow Nearest Neighbor-based Superpixel Clustering (NNSC)



Proposed Nearest-Neighbor Superpixel Clustering (NNSC) approach

A Results



6 Conclusion

• Simple Linear Iterative Clustering (SLIC) [Achanta et al., 2012]

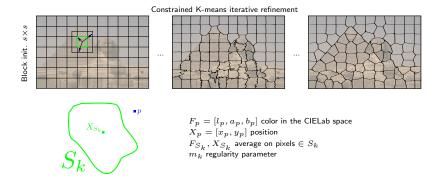


Constrained K-means iterative refinement





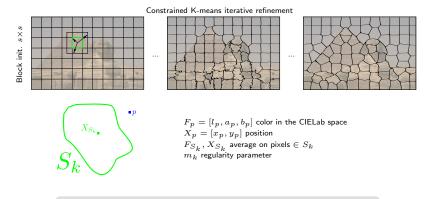
• Simple Linear Iterative Clustering (SLIC) [Achanta et al., 2012]



Distance between a pixel p and a superpixel S_k :

$$D(p, S_k) = d_{color}(F_p, F_{S_k}) + d_{spatial}(X_p, X_{S_k})m_k$$

• Simple Linear Iterative Clustering (SLIC) [Achanta et al., 2012]



Distance between a pixel p and a superpixel S_k :

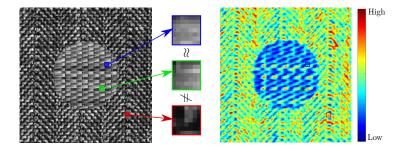
$$D(p, S_k) = d_{color}(F_p, F_{S_k}) + d_{spatial}(X_p, X_{S_k})m_k$$

 \rightarrow Complexity $C_{SLIC} = O((h \times w) \times 4 \times \text{Iter}_{K-\text{means}})$

EUSIPCO 2019

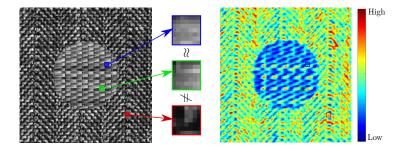
- Pixel to superpixel texture homogeneity term:
 - \rightarrow Using patch-based distances

No complex texture classification approach Remains in the same feature space than pixel to superpixel distances



- Pixel to superpixel texture homogeneity term:
 - \rightarrow Using patch-based distances

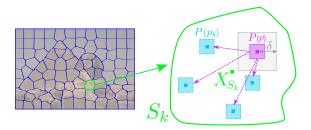
No complex texture classification approach Remains in the same feature space than pixel to superpixel distances



Which patches to compare?

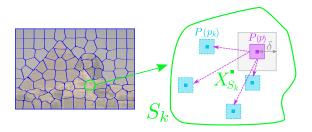
- Pixel to superpixel texture homogeneity term:
 - \rightarrow Nearest neighbor (NN) matching within the superpixel

Ability to find only similar texture patterns Fast selection of N similar patches with PatchMatch [Barnes et al., 2009]



- Pixel to superpixel texture homogeneity term:
 - \rightarrow Nearest neighbor (NN) matching within the superpixel

Ability to find only similar texture patterns Fast selection of N similar patches with PatchMatch [Barnes et al., 2009]

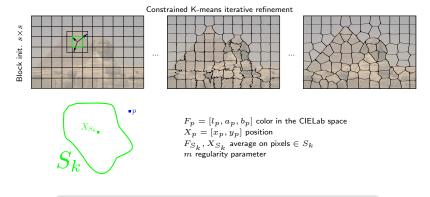


Texture homogeneity distance:

$$d_{\mathsf{texture}}(p, S_k) = \frac{1}{N} \sum_{p_k \in \mathcal{K}_p} \frac{1}{n} \|F_{P(p)} - F_{P(p_k)})\|_2$$

K-means Clustering Approach

• Simple Linear Iterative Clustering (SLIC) [Achanta et al., 2012]

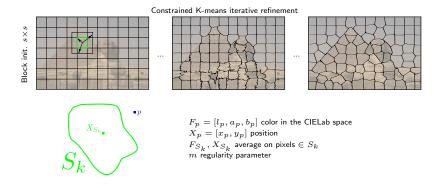


Distance between a pixel p and a superpixel S_k (SLIC): $D(p, S_k) = d_{color}(F_p, F_{S_k}) + d_{spatial}(X_p, X_{S_k})m_k$

$$\rightarrow$$
 Complexity $C_{\mathsf{SLIC}} = \mathcal{O}((h \times w) \times 4 \times \mathsf{Iter}_{\mathsf{K-means}})$

EUSIPCO 2019

• Texture-Aware SuperPixels (TASP) [Giraud et al., 2019]



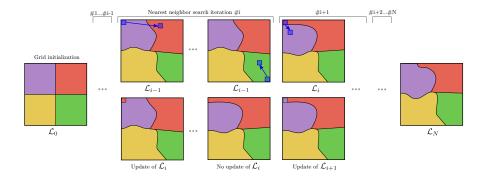
Distance between a pixel p and a superpixel S_k (TASP): $D(p, S_k) = d_{color}(F_p, F_{S_k}) + d_{spatial}(X_p, X_{S_k})m_k + d_{texture}(p, S_k)$

 \rightarrow Complexity $C_{\text{TASP}} = \mathcal{O}((h \times w) \times 4 \times \text{Iter}_{\text{K-means}} \times \text{Iter}_{\text{NN}})$

EUSIPCO 2019

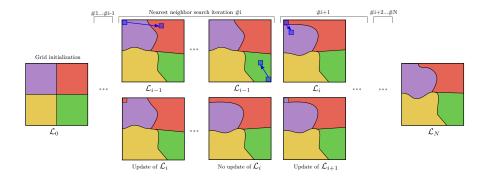
• NNSC: Nearest Neighbor-based Superpixel Clustering

Direct pixel label update using local NN search



• NNSC: Nearest Neighbor-based Superpixel Clustering

Direct pixel label update using local NN search

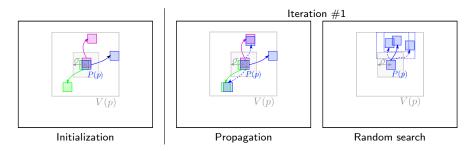


 \rightarrow Complexity reduced to $C_{\text{NNSC}} = \mathcal{O}((h \times w) \times \text{Iter}_{\text{NN}})$

• NNSC: Nearest Neighbor-based Superpixel Clustering

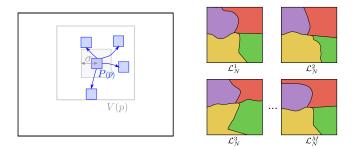
Direct pixel label update using local NN search

Constrained PatchMatch (PM) [Barnes et al., 2009] algorithm:



A

• Aggregation of multiple clustering estimations from independent PM processes

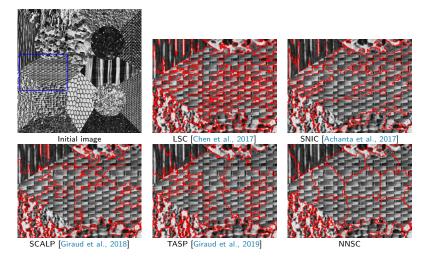


ggregation of
$$M$$
 label maps:
$$\mathcal{L}_{\text{final}}(p) = \operatornamewithlimits{argmax}_{l \in \{labels\}} \sum_{i=1}^M \delta_{\mathcal{L}_N^i(p), l}$$

\rightarrow Improve the robustness of the clustering

EUSIPCO 2019

On a composite natural texture image:

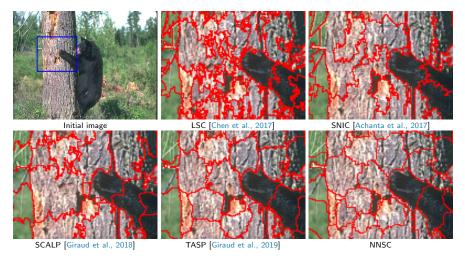


CTI99: dataset of 10 images containing up to 16 different textures [Randen and Husoy, 1999]

EUSIPCO 2019

Texture Superpixel Clustering from Patch-based Nearest Neighbor Matching

On a natural color image:

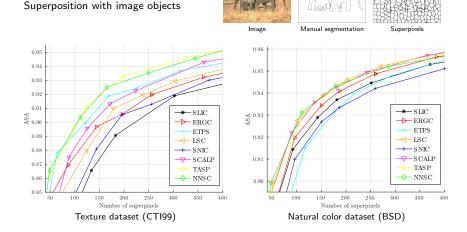


BSD: dataset of 200 natural color images of size 321×481 [Martin et al., 2001]

EUSIPCO 2019

Texture Superpixel Clustering from Patch-based Nearest Neighbor Matching

Results - Quantitative comparison to state-of-the-art



ightarrow Best performances on the two data types with the same parameters

 \rightarrow Computational time from $\approx 60 \mathrm{s}$ for TASP $\rightarrow \approx 1.5 \mathrm{s}$ for proposed NNSC

EUSIPCO 2019

Standard ASA metric:

Texture Superpixel Clustering from Patch-based Nearest Neighbor Matching

Summary of contributions

- New superpixel method robust to texture
- Faster direct patch-based nearest neighbor framework
- Accurate results on both texture and natural color datasets

Work in progress / Research perspectives

- Use of advanced texture descriptors
- Application to real data (3D medical, satellite, etc.)

Texture Superpixel Clustering from Patch-based Nearest Neighbor Matching

Thank you for your attention

Check for source codes at http://rgiraud.vvv.enseirb-matmeca.fr



- Achanta, R., Shaji, A., Smith, K., Lucchi, A., Fua, P., and Süsstrunk, S. (2012). SLIC superpixels compared to state-of-the-art superpixel methods. *IEEE Trans. on Pattern Analysis and Machine Intelligence (PAMI)*, 34(11):2274–2282.
- Achanta et al., R. (2017). Superpixels and polygons using simple non-iterative clustering. In *Computer Vision and Pattern Recognition (CVPR), 2017 IEEE Conference on*, pages 4895–4904.
- Barnes, C., Shechtman, E., Finkelstein, A., and Goldman, D. B. (2009). PatchMatch: A randomized correspondence algorithm for structural image editing. *ACM Trans. on Graphics* (*ToG*), 28(3).
- Buyssens, P., Gardin, I., Ruan, S., and Elmoataz, A. (2014). Eikonal-based region growing for efficient clustering. *Image and Vision Computing*, 32(12):1045–1054.
- Chen, J., Li, Z., and Huang, B. (2017). Linear spectral clustering superpixel. *IEEE Trans. on Image Processing (TIP)*, 26(7):3317–3330.
- Giraud, R. and Berthoumieu, Y. (2019). Texture Superpixel Clustering from Patch-based Nearest Neighbor Matching. In *European Signal Processing Conference (EUSIPCO 2019)*.
- Giraud, R., Ta, V.-T., and Papadakis, N. (2018). Robust superpixels using color and contour features along linear path. *Computer Vision and Image Understanding (CVIU)*, 170:1–13.
- Giraud, R., Ta, V.-T., Papadakis, N., and Berthoumieu, Y. (2019). Texture-Aware Superpixel Segmentation. In *IEEE International Conference on Image Processing*.

References II

- Martin, D., Fowlkes, C., Tal, D., and Malik, J. (2001). A database of human segmented natural images and its application to evaluating segmentation algorithms and measuring ecological statistics. In *Proc. of IEEE International Conference on Computer Vision (ICCV)*, volume 2, pages 416–423.
- Randen, T. and Husoy, J. H. (1999). Hierarchical image segmentation via recursive superpixel with adaptive regularity. *IEEE Trans. on Pattern Analysis and Machine Intelligence (PAMI)*, 21:291–310.
- Ren, X. and Malik, J. (2003). Learning a classification model for segmentation. In *Proc. of IEEE International Conference on Computer Vision (ICCV)*, pages 10–17.
- Yao, J., Boben, M., Fidler, S., and Urtasun, R. (2015). Real-time coarse-to-fine topologically preserving segmentation. In Proc. of IEEE Conf. on Computer Vision and Pattern Recognition (CVPR), pages 2947–2955.

K-means Clustering Framework

Distance between a pixel p and a superpixel S_k :

$$D(p, S_k) = d_{color}(F_p, F_{S_k}) + d_{spatial}(X_p, X_{S_k})m$$

Limitations:

- Global regularity parameter \rightarrow irregular borders with low m / inaccurate borders with high m.
- Only local pixel color considered → not robust to texture.



m = 10

m = 60

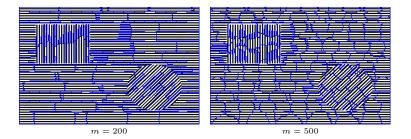
K-means Clustering Framework

Distance between a pixel p and a superpixel S_k :

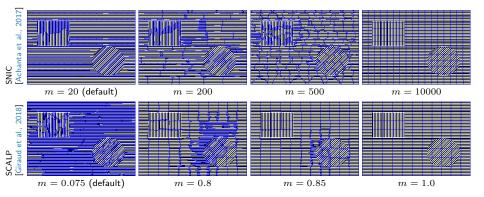
$$D(p, S_k) = d_{color}(F_p, F_{S_k}) + d_{spatial}(X_p, X_{S_k})m$$

Limitations:

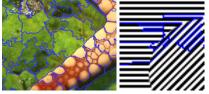
- Global regularity parameter \rightarrow irregular borders with low m / inaccurate borders with high m.
- Only local pixel color considered \rightarrow not robust to texture.



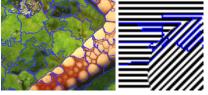
What about textured images?



\rightarrow Even with manual regularity tuning, no explicit consideration of texture information



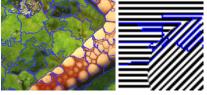
SLIC [Achanta et al., 2012]



SLIC [Achanta et al., 2012]

Ponderation with feature variance within superpixels:

$$m_k = m \exp\left(\frac{\sigma(F_{p \in S_k})}{\beta}\right)$$



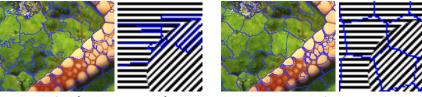
SLIC [Achanta et al., 2012]

Ponderation with feature variance within superpixels:

$$m_k = m \exp\left(\frac{\sigma(F_{p \in S_k})}{\beta}\right)$$

SLIC clustering distance [Achanta et al., 2012]:

$$D(p, S_k) = d_{\mathsf{color}}(F_p, F_{S_k}) + d_{\mathsf{spatial}}(X_p, X_{S_k})m$$



SLIC [Achanta et al., 2012]



Ponderation with feature variance within superpixels:

$$m_k = m \exp\left(\frac{\sigma(F_{p \in S_k})}{\beta}\right)$$

TASP clustering distance:

$$D(p, S_k) = d_{\mathsf{color}}(F_p, F_{S_k}) + d_{\mathsf{spatial}}(X_p, X_{S_k})m_k$$

